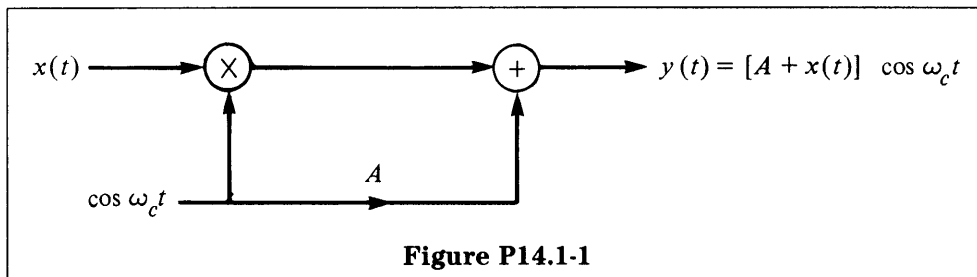


# 14 Demonstration of Amplitude Modulation

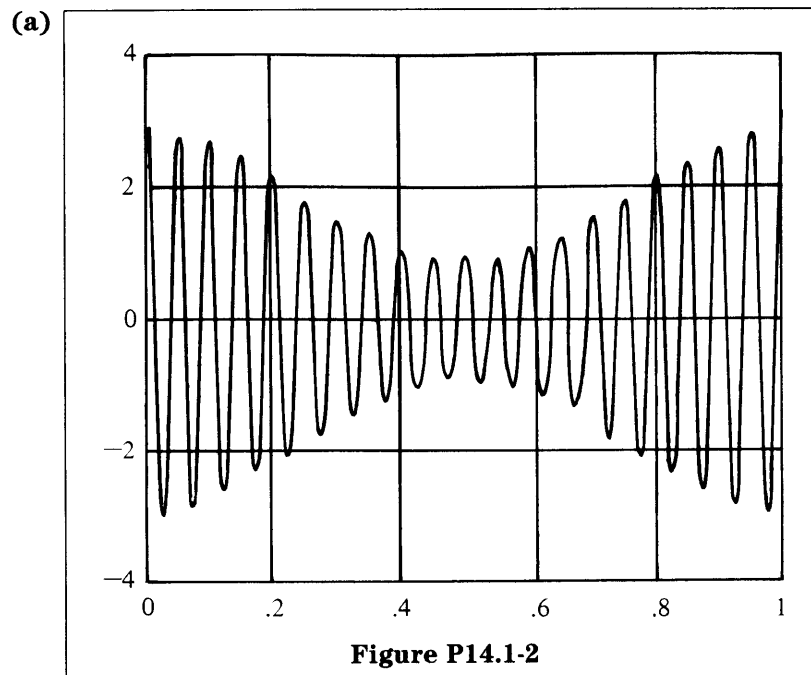
## Recommended Problems

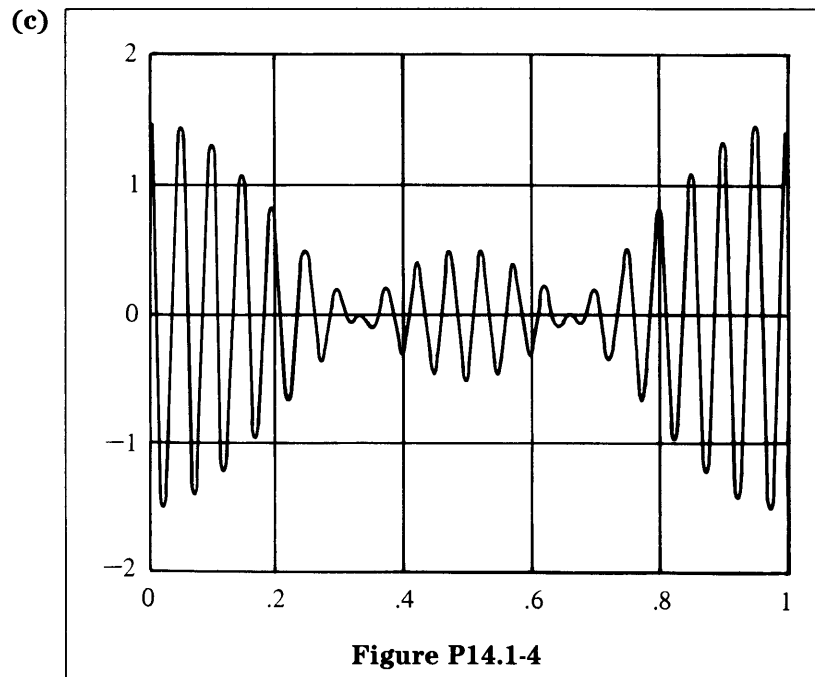
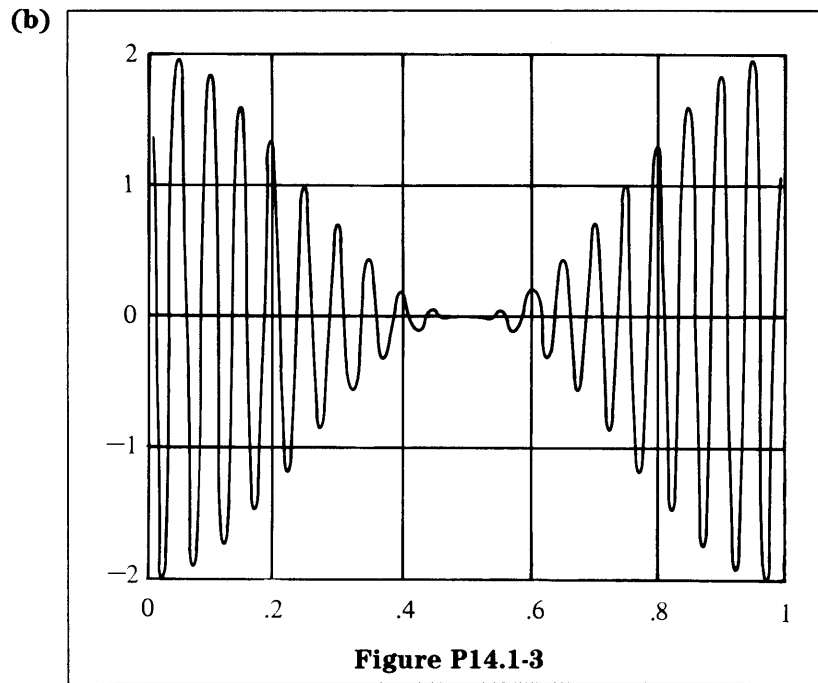
### P14.1

Consider the AM modulation system in Figure P14.1-1.



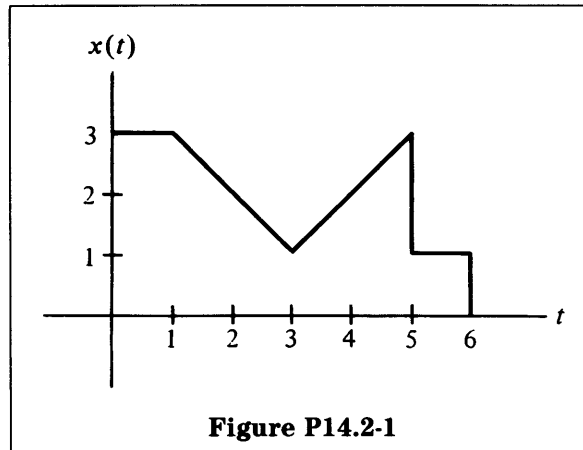
$K/A$  is called the modulation index, where  $K$  is the maximum amplitude of  $x(t)$ . Parts (a)–(c) contain plots of  $y(t)$  versus  $t$  for several different modulation indices, with  $x(t) = B \cos \omega_0 t$ . Find the modulation index for each signal.



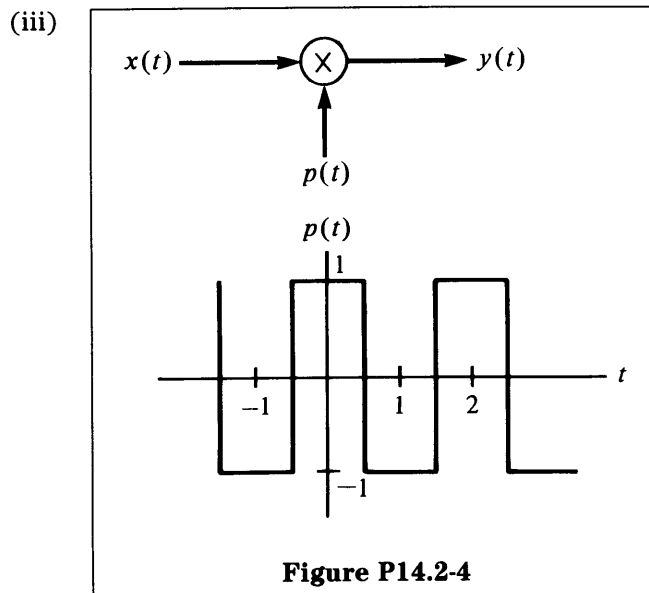
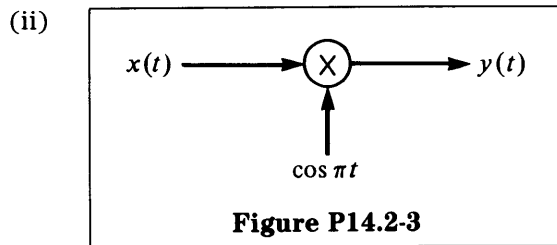
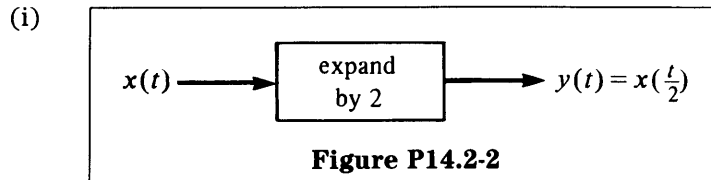


**P14.2**

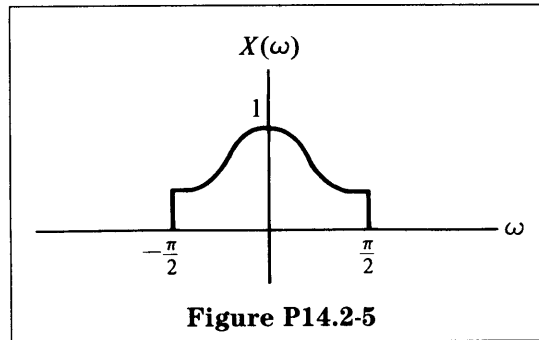
(a) Consider the signal  $x(t)$  in Figure P14.2-1.



Draw  $y(t)$  for each of the following systems.

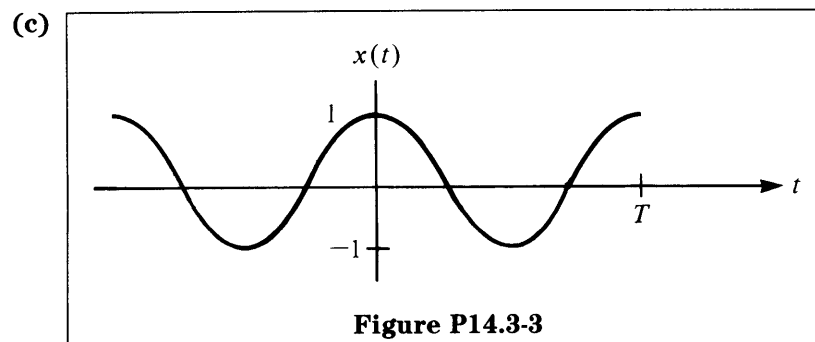
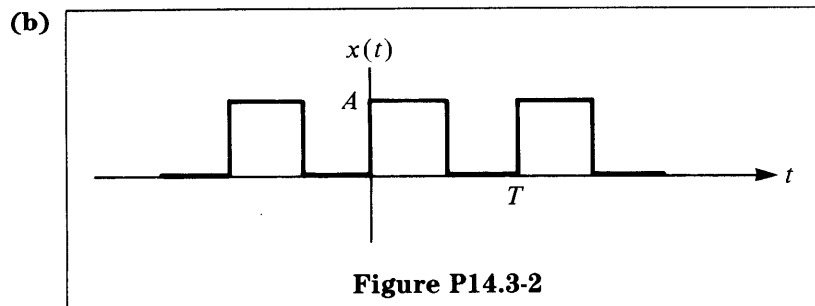
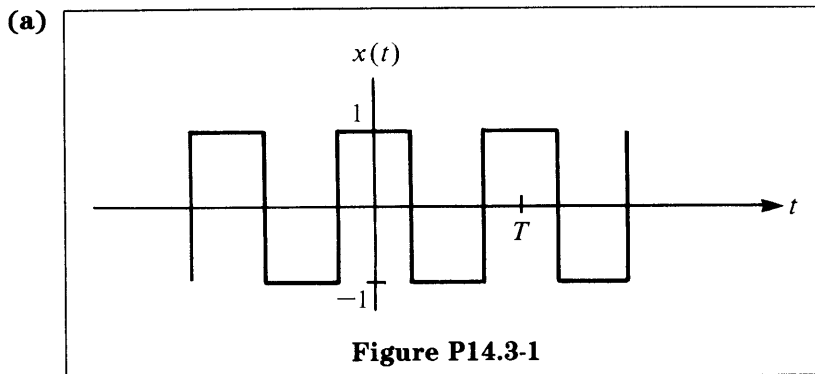


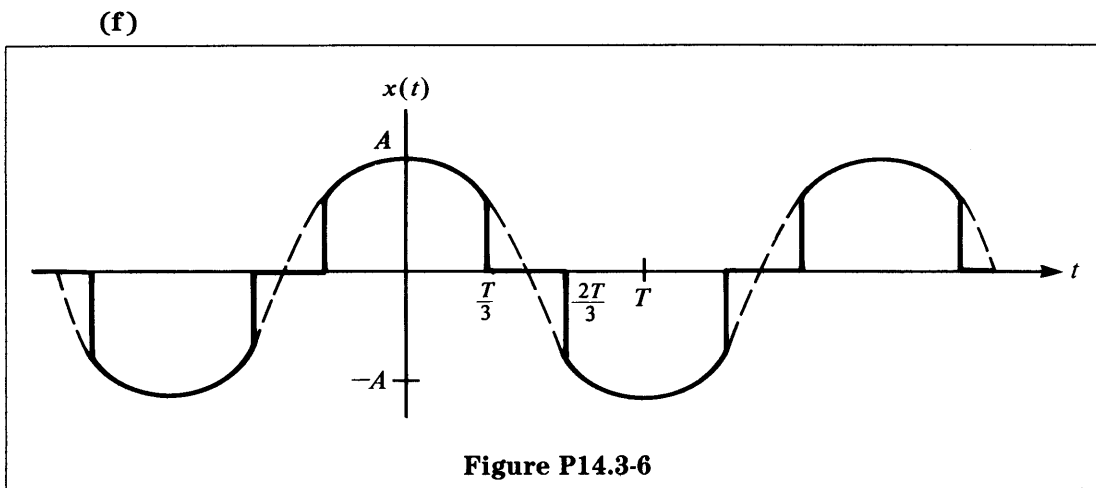
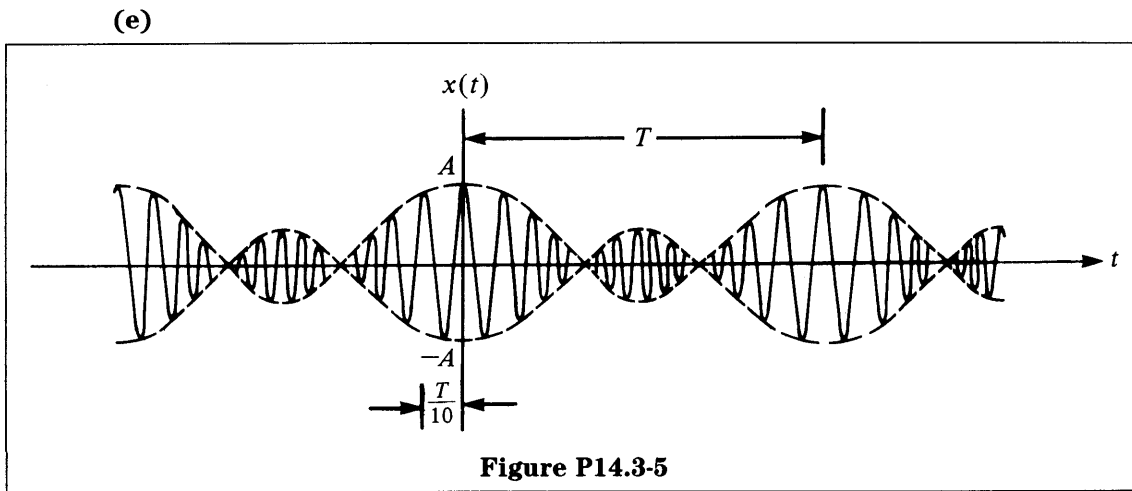
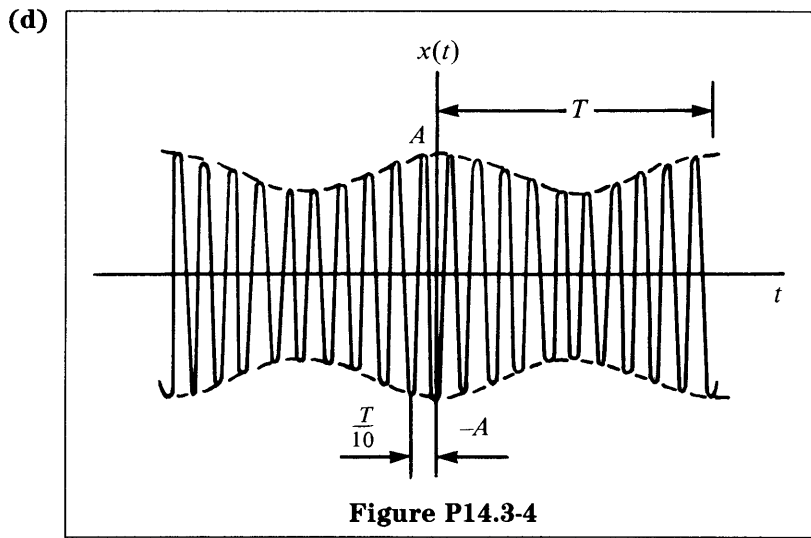
(b) Suppose that  $x(t)$  has the Fourier transform shown in Figure P14.2-5. Find  $Y(\omega)$  for each case in part (a).



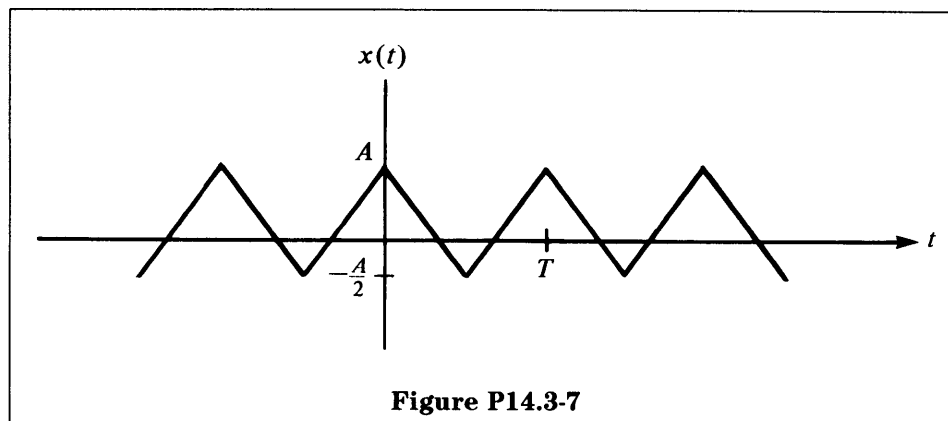
**P14.3**

For each of the time waveforms (a)–(j) (Figures P14.3-1 to P14.3-10), match its possible spectrum (i)–(x) (Figures P14.3-11 to P14.3-20).

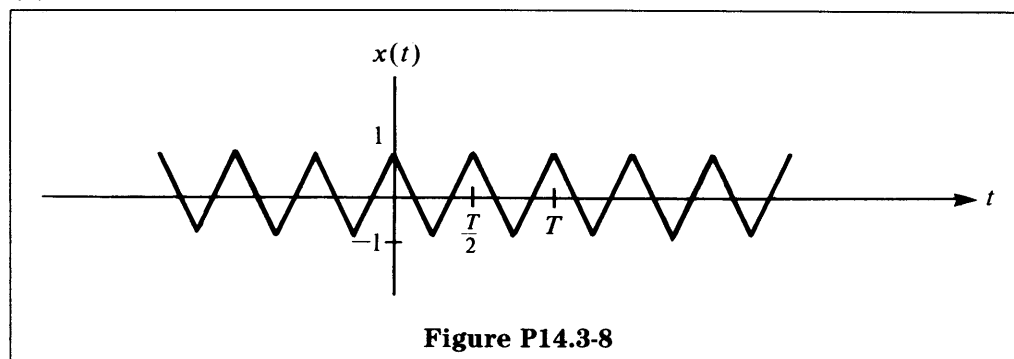




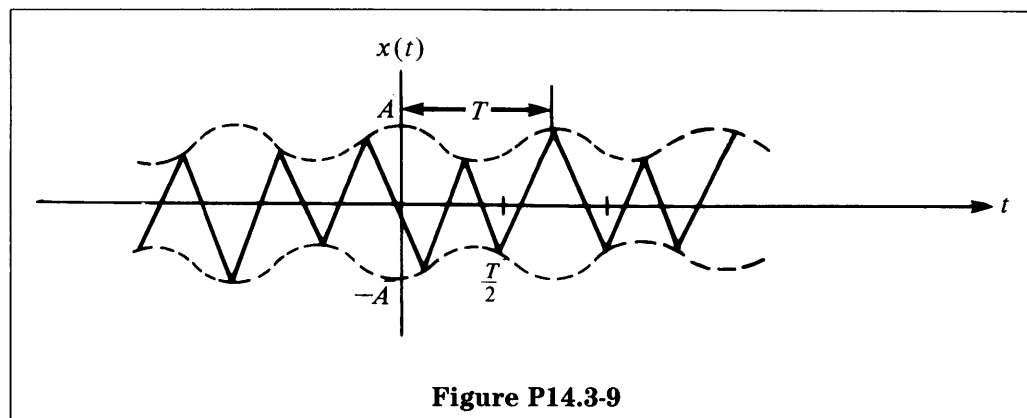
(g)



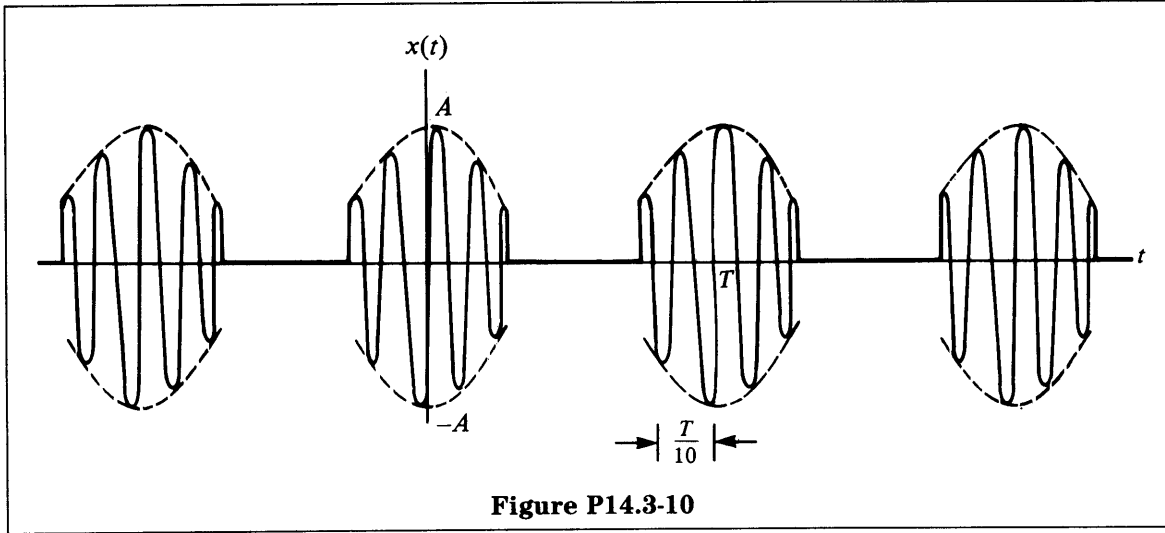
(h)



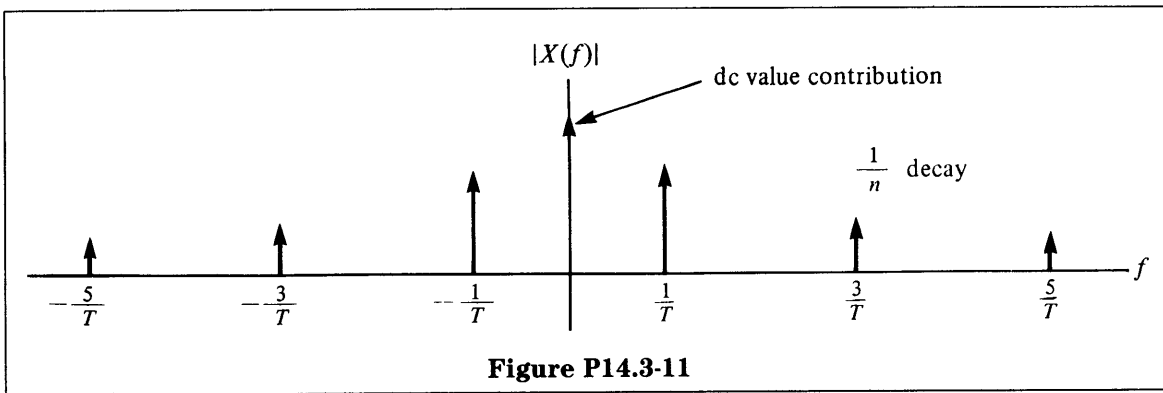
(i)



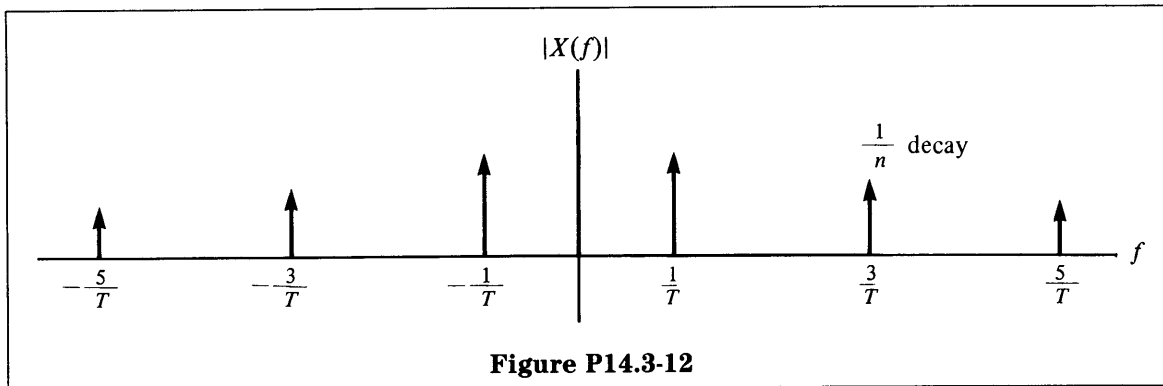
(j)



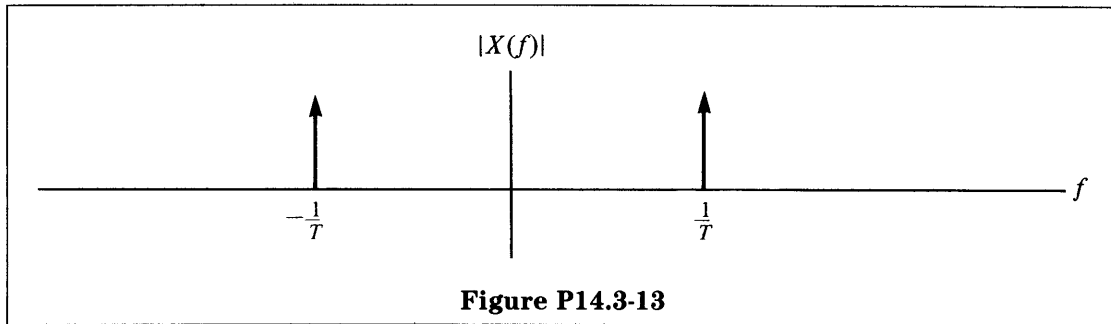
(i)



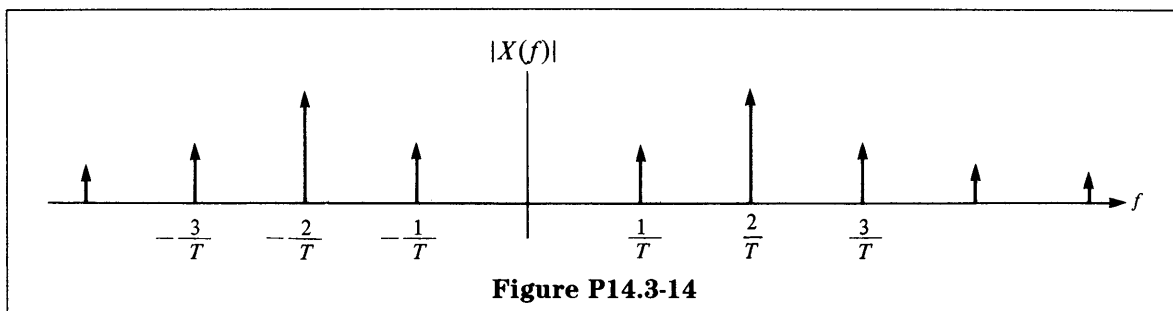
(ii)



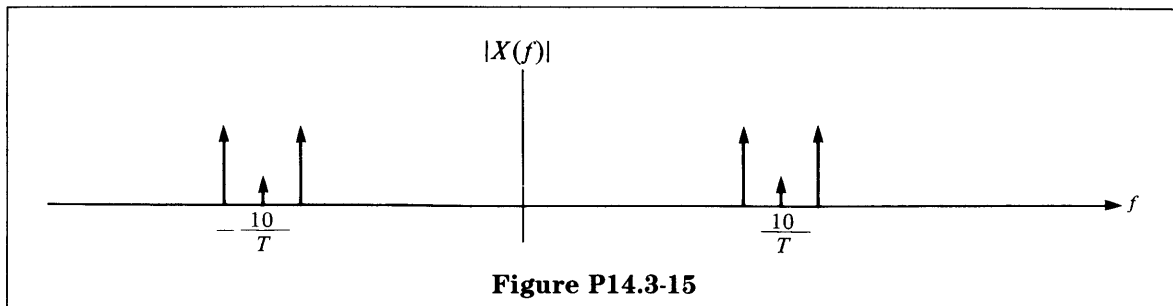
(iii)



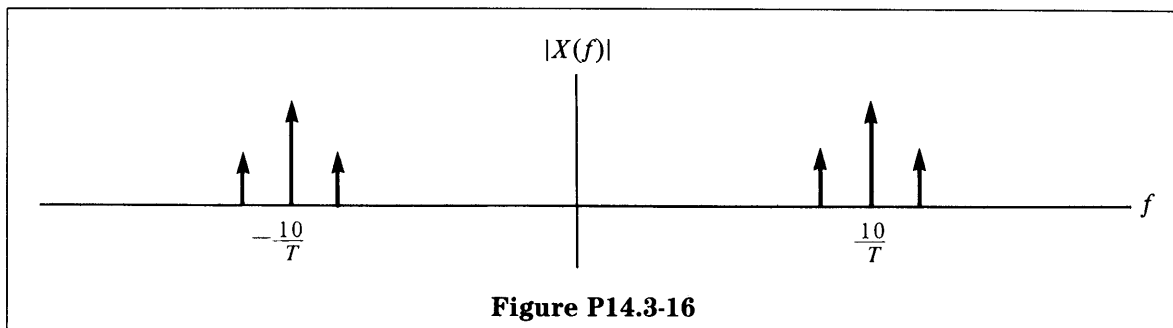
(iv)



(v)

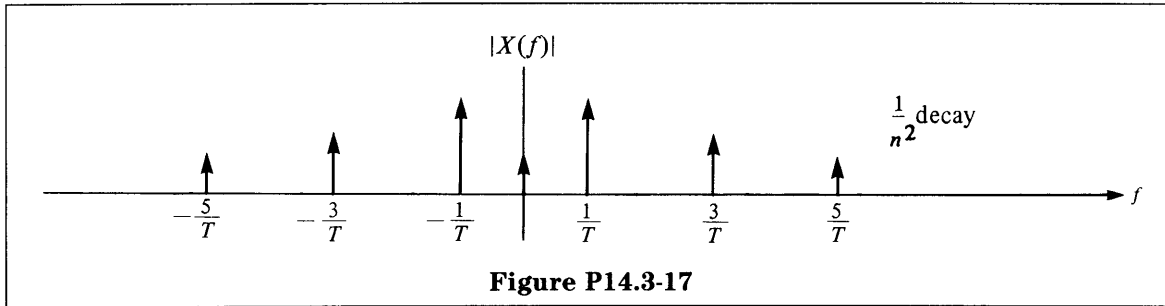


(vi)

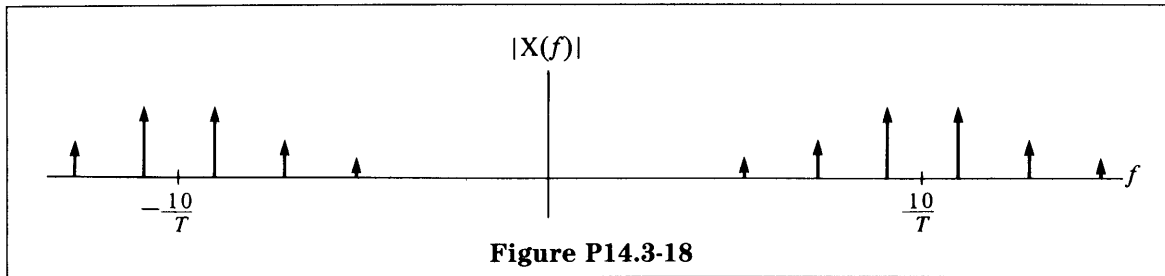




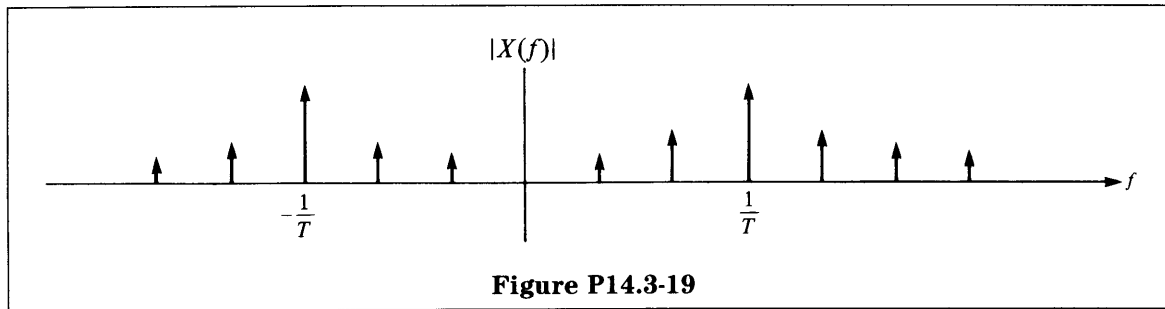
(vii)



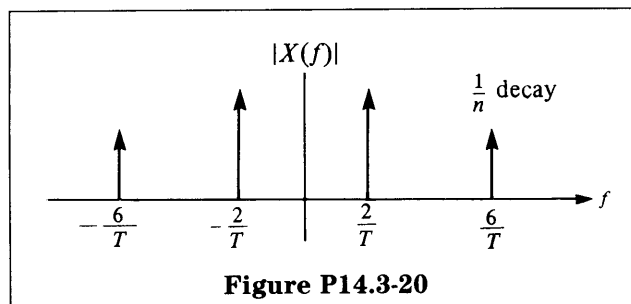
(viii)



(ix)



(x)



**P14.4**

The spectrum analyzer discussed in the lecture computed the estimate of the magnitude of the Fourier transform of  $x_s(t)$  by taking samples of  $x_s(t)$  at equally spaced intervals  $T$ , stopping after  $N$  samples, and computing the discrete-time Fourier transform of the  $N$ -point sequence.

Thus,

$$X(\Omega) = \sum_{n=0}^{N-1} x[n]e^{-j\Omega n}, \quad \text{where } x[n] = x_s(nT)$$

- (a) Suppose  $x_s(t) = \cos \omega_0 t$ . Find and sketch  $|X(\Omega)|$ .  
 (b) In any practical system,  $X(\Omega)$  can be explicitly calculated only at a finite set of  $\Omega$ . A common choice is

$$\omega_k = \frac{2\pi k}{N} \quad \text{for } K = 0, \dots, N - 1$$

For the following situations, sketch

$$\left| X\left(\frac{2\pi k}{N}\right) \right| \quad \text{for } K = 0, \dots, N - 1$$

if  $x_s(t) = \cos \omega_0 t$ .

(i)  $N = 5, \quad \omega_0 = \frac{2\pi}{T} \left(\frac{2}{5}\right)$

(ii)  $N = 5, \quad \omega_0 = \frac{2\pi}{T} \left(\frac{3}{10}\right)$